

Fiscal Policy in Oil and Gas-Exporting Economies: Good Times, Bad Times and Ugly Times

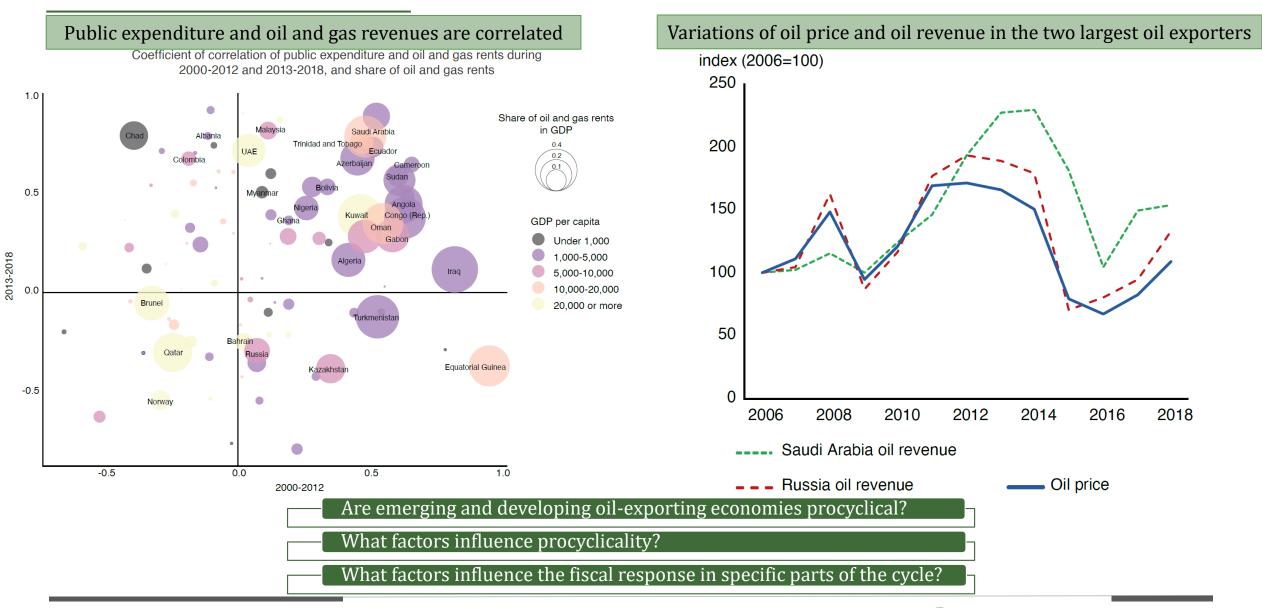
Olivier Durand-Lasserve and Fatih Karanfil



The material presented is based on Durand-Lasserve and Karanfil (*Energy Economics*, Oct. 2023):

"Fiscal policy in oil and gas-exporting economies: Good times, bad times and ugly times"

Cyclical fiscal policies transmit oil price volatility to the economy



Baseline model: panel data with interaction terms

30 ED oil and gas-exporting countries, from 2000 to 2020

$$\Delta EXP_{i,t} = \alpha_{1,i} + \beta \Delta RENT_{i,t} + \gamma X_{i,t} + \lambda \Delta RENT_{i,t} \times X_{i,t} + \varepsilon_{i,t}$$

 ΔEXP is the variation of the **cyclical component of total expenditure**, investment expenditure or current consumption expenditure

 $\Delta RENT$ is the variation of the cyclical component of the oil and gas rent

Positive (negative) β denotes **procyclicality** (countercyclicality)

X is vector of variables that we **interact** with $\Delta RENT$

Positive (negative) coefficient λ means that variable *X* amplifies (reduces) procyclicality

Insights from the model without asymmetries

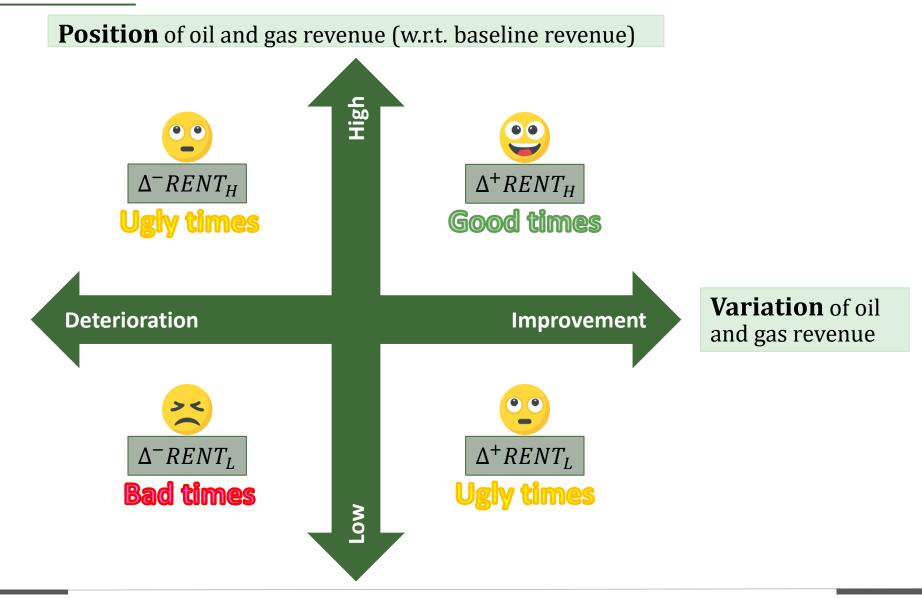
Procyclicality: The pass-through of oil and gas rents to government expenditure is close to 1

Financial openness increases procyclicality, in line with the financial constraint hypothesis

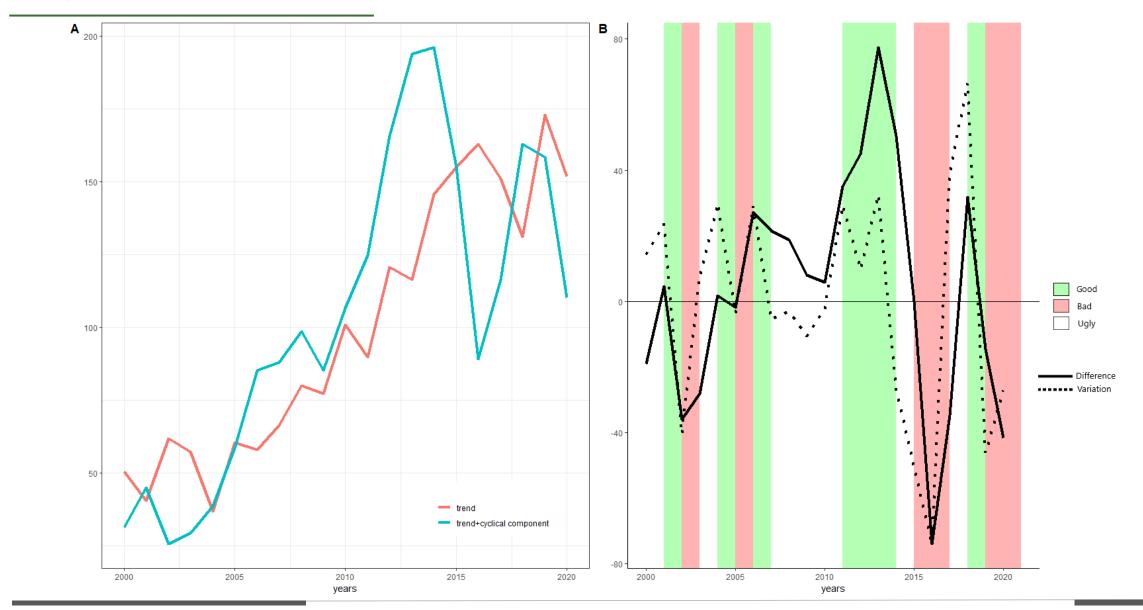
Institutional quality and fiscal rules reduce procyclicality



We consider four configurations of oil and gas revenue shocks



Asymmetries of variation and position: illustration with Saudi Arabia



Results with asymmetry

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)
ΔΕΧΡ	Tot	Inv	Cur	Tot	Inv	Cur	Tot	Inv	Cur
Δ ⁺ RENT	0.913***	0.153***	0.732**						
	(0.319)	(0.045)	(0.284)						
Δ^{-} RENT	0.873***	0.160***	0.906***						
	(0.258)	(0.027)	(0.289)						
$\Delta RENT_{H}$				0.396***	0.128***	0.323***			
				(0.132)	(0.042)	(0.101)			
$\Delta \text{RENT}_{ ext{L}}$				1.264***	0.181***	1.245***			
				(0.407)	(0.031)	(0.441)			
Δ ⁺ RENT _H							0.731***	0.168***	0.557***
							(0.244)	(0.056)	(0.202)
Δ^{-} RENT _H							-0.341	-0.008	-0.164
							(0.275)	(0.114)	(0.242)
Δ^+ RENT _L							2.119***	0.160***	1.871***
							(0.571)	(0.036)	(0.591)
Δ^- RENT _L							0.917***	0.176***	0.968***
							(0.277)	(0.030)	(0.325)
Constant	0.618	0.062	0.977***	2.256***	0.21*	1.861***	-0.843	-0.095	-0.373
	(0.504)	(0.149)	(0.203)	(0.614)	(0.07)	(0.517)	(0.629)	(0.203)	(0.469)
Observations	584	546	546	584	546	546	584	546	546
No. of countries	30	30	30	30	30	30	30	30	30
R ²	0.333	0.247	0.323	0.396	0.253	0.413	0.432	0.268	0.436
Wald test	0.07	0.03	8.43***	8.31***	1.49	6.76**	6.34***	1.24	7.17***

Insights from the model asymmetries

Significant asymmetries in expenditure response

Position asymmetry is more pronounced than variation asymmetry

 In low revenue regimes, the pass-through to total and current expenditure is about three times higher than during high revenue regimes

When revenues are above the trend but go down (ugly times), the fiscal policy is neutral

- Suggesting that there is a belief that the revenue will recover
- Inertia in spending, fiscal buffer

High procyclicality during bad times

Fiscal balance in a bad position, leaving less room to buffer further price drops



Takeaways from interacting asymmetries and explanatory variables



Financial openness

- Financial integration leads to more investment during good times
- But mitigates the drop in investment during bad times



Institutional quality

- Limits the increase in expenditure (in ugly times with low but increasing prices)
- Reduces expenditure (in ugly times with high but decreasing prices)



Fiscal rules

Reduce procyclicality during good times and bad times



IMF programs

 Countercyclical in ugly times during low revenue regimes and procyclical during bad times

Policy implications

Avoid expenditure cuts during bad times because it is when the social cost is higher But financial openness and IMF programs, instead of helping smooth fiscal policies, accentuate the procyclicality

Limiting procyclicality in good times would be the optimal solution Fiscal rules can support such a policy

Rapid growth in capital inflows are challenging if not invested in the right direction During good times, need for investments that drive economic diversification and long-term economic growth



Covariates

Financial constraints

Chinn and Ito (2006) index of capital account openness. The more open the country is to cross-border capital transactions the higher the index values are

Institutional quality

Sum of the 6 Worldwide Governance Indicators of Kaufmann et al (2010)

Fiscal rules

Dummy calculated based on the IMF's fiscal rule database of Davoodi et al. (2022)

Exchange rate flexibility

Index rising from 1 to 6 as flexibility increases, with 1 representing a pegged currency lizetzki et al. (2021)

IMF programs

Dummy if a country is under IMF arrangement (Dreher 2006)

Procyclicality of expenditure to oil revenue: preliminary findings

	(1)	(2)	(3)	(4)	(5)	(6)
ΔΕΧΡ	Tot	Inv	Cur	Tot	Inv	Cur
ΔRENT	0.892***	0.157***	0.821***	-0.025	0.201*	-0.047
	(0.278)	(0.0329)	(0.281)	(0.160)	(0.104)	(0.135)
$\Delta \text{RENT} \times \text{Financial openness}$				0.423***	0.012	0.366***
				(0.150)	(0.030)	(0.126)
ΔRENT × Institutional quality				-0.605**	-0.102	-0.465*
				(0.253)	(0.101)	(0.230)
ΔRENT × Fiscal rules				-0.497***	-0.123	-0.413***
				(0.175)	(0.084)	(0.107)
$\Delta ext{RENT} imes ext{Exchange rate flexibility}$				0.332***	-0.004	0.299***
				(0.041)	(0.026)	(0.023)
$\Delta \text{RENT} \times \text{IMF program}$				0.676*	0.038	0.413
				(0.332)	(0.119)	(0.250)
Constant	0.755***	0.037***	0.391***	-4.246	-1.164	-4.281
	(0.096)	(0.005)	(0.050)	(4.430)	(1.877)	(3.078)
Observations	584	546	546	485	477	477
Number of countries	30	30	30	27	27	27
R^2	0.333	0.247	0.326	0.536	0.304	0.492

Models with asymmetries

Variation asymmetry:

$$\Delta EXP_{i,t} = \alpha_{2,i} + \mu_1 \Delta^+ RENT_{i,t} + \mu_2 \Delta^- RENT_{i,t} + \varepsilon_{i,t}$$

Position asymmetry:

$$\Delta EXP_{i,t} = \alpha_{3,i} + \delta_1 \Delta RENT_{H_{i,t}} + \delta_2 \Delta RENT_{L_{i,t}} + \varepsilon_{i,t}$$

All combined:

$$\Delta EXP_{i,t} = \alpha_{4,i} + \theta_1 \Delta^+ RENT_{H_{i,t}} + \theta_2 \Delta^- RENT_{H_{i,t}} + \theta_3 \Delta^+ RENT_{L_{i,t}} + \theta_4 \Delta^- RENT_{L_{i,t}} + \varepsilon_{i,t}$$